

Exercise1

Let the grammar G has the following rewriting rules:

$$P = (S \rightarrow abS|abcA; A \rightarrow \varepsilon)$$

- Does G regular? Does G k-grammar?
- If not transform G to k-grammar.

Exercise2

Let Σ is a finite alphabet set:

- Prove that each finite language on the alphabet Σ is a regular language (use previously studied properties).

Exercise3

Let the following two regular expressions:

$$R1 = (0^*10)^*$$

$$R2 = (0 + (11)^*)^*$$

- Give set of words generated by R1
- Give set of words generated by R2
- check if the word **10100010** is generated by R1
- check if the word **01110110** is generated by R2

Exercise4

Let $A = \{0, 1\}$ be an alphabet

Give the regular expression for each of the following languages:

- Language of words contain at least one 0.
- Language of words having even length.
- Language of words where each 0 followed by 1
- Language of words ending in 00
- Language of words start and finish by the same alphabet
- Language of words composed from 0 and 1 alternatively.
- Language of words having at least 3 occurrences of 0

Exercise5

Specify in natural language then formally, the language specified by each regular expression:

- $(aa)^*$
- $a(aa)^*$
- $(b^*(aaa)^*b^*)^*$
- $(a + b)^*abb + (a + b)^*baa$

Exercise6

Let L be a language defined by:

$$L = \{a^n b^n, n \in \mathbb{N}\}$$

- Give a set of words belong to L
- Propose a formal grammar that generates L.
- Prove that L is not a regular language.(using pumping lemma).